## CHAPTER 1

## THE EARTH

The earth is not a perfect sphere, there is a slight bulge at the Equator and a flattening at the Poles. The earth's shape is described as an oblate spheroid. The polar diameter is 6860.5 nm which is 23.2 nm shorter than the average equatorial diameter of 6883.7 nm . This gives a compression ratio of $1 / 2967$ which for all practical purposes can be ignored. Cartographers and Inertial Navigation systems will take the true shape of the earth into account.


## PARALLELS OF LATITUDE

Parallels of Latitude are small circles that are parallel to the Equator. They lie in a $090^{\circ}$ and $270^{\circ}$ Rhumb Line direction as they cut all Meridians at $90^{\circ}$.

## LATITUDE

The Latitude of a point is the arc of a Meridian from the Equator to the point. It is expressed in degrees and minutes North or South of the Equator. It can be presented in the following forms.

$$
\text { N 27:30 } \quad 27: 30 \mathrm{~N} \quad 27^{\circ} 30^{\prime} \mathrm{N} \quad 35^{\circ} 25^{\prime} 45 \text { "S } \quad 35: 25: 45 \mathrm{~S}
$$



## LONGITUDE

The Longitude of a point is the shorter arc of the Equator measured East or West from the Greenwich Meridian. It can be presented in the following forms.


## GREAT CIRCLE GC

A Great Circle is a circle drawn on the surface of a sphere whose centre and radius are those of the sphere itself. A Great Circle divides the sphere into two halves. The Equator is a Great Circle dividing the earth into the Northern and Southern Hemispheres. On a flat surface the shortest distance between TWO points is a straight line. On a sphere the shortest distance between two points is the shorter arc of a Great Circle drawn through the two points. To fly from Europe to the West Coast of America the shortest distance is of course a Great Circle which usually takes the least time and fuel used. A Great Circle cuts all Meridians at different angles.

## RHUMB LINE RL

A Rhumb Line is a curved line drawn on the surface of the earth which cuts all Meridians at the same angle. An aircraft steering a constant heading of $065^{\circ}(\mathrm{T})$ with zero wind will be flying a Rhumb Line.

## MERIDIANS

Meridians are Great semi-circles that join the North and South Poles. Every Great Circle passing through the poles forms a Meridian and its Anti-Meridian. All Meridians indicate True North or $000^{\circ}(\mathrm{T})$ and $180^{\circ}(\mathrm{T})$. As Meridians have a constant direction they are Rhumb Lines as well as Great Circles.

## EQUATOR

The Equator cuts all Meridians at $90^{\circ}$ providing a True East-West or $090^{\circ}(\mathrm{T})$ and $270^{\circ}(\mathrm{T})$ erection. As the Equator cuts all Meridians at $90^{\circ}$ it is a Rhumb Line as well as a Great Circle.

## SMALL CIRCLE

A Small Circle is a circle drawn on a sphere whose centre and radius are not those of the sphere itself.

## DIRECTION

## TRUE NORTH

True North is the direction of the Meridian passing through a position.

## TRUE DIRECTION

Aircraft Heading or Track is measured clockwise from True North. It is usually expressed in degrees and decimals of a degree, e.g. $092^{\circ}(\mathrm{T}) \quad 107.25^{\circ} \mathrm{GC} \quad 265.37^{\circ} \mathrm{RL}$

## MAGNETIC NORTH

Magnetic North is the direction in the horizontal plane indicated by a freely suspended magnet influenced by the earth's magnetic field only.

## VARIATION

Variation is the angular difference between True North and Magnetic North

Variation is Westerly when Magnetic North is West of True North
Variation is Easterly when Magnetic North is East of True North

## MAGNETIC DIRECTION (M)

Aircraft Magnetic Heading or Magnetic Track is measured clockwise from Magnetic North, which is sometimes referred to as the Magnetic Meridian, e.g. $100^{\circ}(\mathrm{M})$


Heading $090^{\circ}(\mathrm{T}) \quad \operatorname{Var} 20^{\circ} \mathrm{W} \quad 110^{\circ}(\mathrm{M})$

VARIATION WEST MAGVETIC BEST


Heading $090^{\circ}(\mathrm{T}) \quad$ Var $20^{\circ} \mathrm{E} \quad 070^{\circ}(\mathrm{M})$
VARIATION EAST MAGNETIC LEAST


## COMPASS NORTH (C)

Compass North is the direction indicated by the compass needle in an aircraft. Magnetic Fields in the aircraft will attract the compass needle away from Magnetic North causing Compass Deviation.

## DEVIATION

The angular difference between Compass North and Magnetic North.

Deviation is Westerly when Compass North is to the West of Magnetic North
Deviation is Easterly when Compass North is to the East of Magnetic North

## DEVIATION EAST COMPASS LEAST DEVIATION WEST COMPASS BEST

Heading $100^{\circ}$ (C) $\operatorname{Dev}+4^{\circ}$ e $104^{\circ}(\mathrm{M}) \quad$ Heading $100^{\circ}(\mathrm{C}) \operatorname{Dev}-3^{\circ} \mathrm{w} 096^{\circ}(\mathrm{M})$


Deviation West is Negative (-)
Deviation East is Positive ( + )
Deviation is a correction to Compass Heading to give Magnetic Heading

## CONVERGENCY AND CONVERSION ANGLE

## CONVERGENCY

Meridians are Semi Great Circles joining the North and South Poles. They are parallel at the Equator. As the meridians leave the Equator either Northwards or Southwards they converge and meet at the Poles.


Convergency is defined as the angle of inclination Between two selected meridians measured at a given Latitude.

Considering the two meridians shown above, one at 20W and the other at 20E. The Change of Longitude (Ch. Long) or Difference in Longitude (D Long) between the two meridians is $40^{\circ}$.

At the Equator (Latitude $0^{\circ}$ ) they are parallel, the angle of convergence is $0^{\circ}$. At the Poles (Latitude $90^{\circ}$ ) they meet, and the angle of convergence is the Difference of Longitude, $40^{\circ}$.

At any intermediate Latitude the angle of inclination between the same two meridians will between $0^{\circ}$ and $40^{\circ}$ depending on the Latitude.

This is a sine relationship, convergence varies as Sine Mean Latitude. Convergency also varies as the Change of Longitude between the two meridians. The greater the Ch. Long, the greater the convergency.

## Convergency = Ch. Long x Sine Mean Latitude

Ex 1. Calculate the value of Convergence between $A(N 45: 25 E 025: 36)$ and $B(N 37: 53 E 042: 17)$.
A $\quad$ N 45:25
E 025:36
B $\quad$ N $37: 53$
N 41:39 Mean Latitude
E042:17
16:41 Change of Longitude

$$
\begin{aligned}
\text { Convergency } & =\text { Ch. } \text { Long }^{\circ} \quad \times \operatorname{Sin} \text { Mean Latitude } \\
& =16^{\circ} 41^{\prime} \times \operatorname{Sin} 41^{\circ} 39^{\prime} \\
& =16.6833^{\circ} \times \operatorname{Sin} 41.65^{\circ} \\
& =11.0874^{\circ}
\end{aligned}
$$

NOTE Both Mean Latitude and Change of Longitude must be changed into decimal notation.

Grade 1 Geometry reffesher - If two paralle! lines are intersected bs a third line.


The Great Circle (GC) Track crosses every Meridian at a different angle


THE MERIDIANS CONVERGE TOWARDS THE NEARER POLE

NORTHERN HEMISPHERE


The Meridian passing through A is paralleled through B (dashed line). The two solid angles (Initial Track) are equal. The angle of Convergency is added to the Initial GC Track at A to give the GC track at B.

```
Initial GC Track F to G
Convergency
285*}\textrm{GC
GC Track at G }25\mp@subsup{2}{}{\circ}\textrm{GC
```



## SOUTHERN HEMISPHERE

| Initia |  |
| :--- | :--- |
| Conv Initial GC Track X to Y | $125^{\circ} \mathrm{GC}$ |
| GC T Convergency | $-43^{\circ}$ |
| $\quad$ GC Track at Y | $082^{\circ} \mathrm{GC}$ |



| Initial GC Track at P | $257^{\circ} \mathrm{GC}$ |
| :--- | :--- |
| Convergency | $+38^{\circ}$ |
| GC Track at Q | $295^{\circ} \mathrm{GC}$ |



CONVERGENCY = CHANGE OF LONGITUDE x SIN MEAN LATITUDE CONVERGENCY = DIFFERENCE BETWEEN INITIAL AND FINAL GC TRACKS

Q 1. $A$ and $B$ are in the same hemisphere The Great Circle Track from $A$ to $B$ is $062^{\circ}$
The Great Circle Track from B to $A$ is $278^{\circ}$
(a) In which hemisphere are $A$ and $B$ ?
(b) What is the value of Convergence between $A$ and $B$ ?


Q2. $\quad C$ and $D$ are in the same hemisphere
The Great Circle bearing of $D$ from $C$ is $I 36^{\circ} \quad$ (bearing of $D$ measured at $C$ ) The Great Circle bearing of $C$ from $D$ is $262^{\circ}$ (bearing of $C$ measured at $D$ )
(a) In which hemisphere are $C$ and $D$ ?
(b) What is the value of Convergency between $C$ and $D$ ?


Impossible $082^{\circ}<136^{\circ}$
Angle at D must be physically smaller than C


## CONVERSION ANGLE CA

## CONVERSION ANGLE = DIFFERENCE BETWEEN GREAT CIRCLE AND RHUMB LINE

Conversion Angle (CA) is used to change Great Circle bearings and tracks into Rhumb Line bearings and tracks or vice versa.


Conversion Angle at $A$ equals Conversion angle at $B$

THE GREAT CIRCLE IS ALWAYS NEARER THE POLE THE RHUMB LINE IS ALWAYS NEARER THE EQUATOR

CONVERSION ANGLE = ½ CONVERGENCEY
CONVERGENCY = TWICE CONVERSION ANGLE
CONVERGENCY $=$ CHANGE OF LONGITUDE ${ }^{\circ}$ x SIN MEAN LATITUDE
CONVERSION ANGLE = ½ CHANGE OF LONGITUDE ${ }^{\circ} \mathrm{x}$ SIN MEAN LATITUDE
CONVERSION ANGLE = DIFFERENCE BETWEEN GREAT CIRCLE AND RHUMB LINE
CONVERGENCY - DIFFERENCE BETWEEN INITIAL AND FINAL GREAT CIRCLES
The Rhumb Line is a constant direction. If the Rhumb Line track from A to B is $100^{\circ}$, then the Rhumb Line track from B to A is $280^{\circ}$. You can always take the reciprocal of a Rhumb Line, NEVER A GC.

Initial GC track $A$ to $B$ is $080^{\circ} \mathrm{GC}$, initial GC track B to A is $300^{\circ} \mathrm{GC}$ (Conversion angle $20^{\circ}$ )

The Great Circle bearing of A from B is $255^{\circ}$ GC
The Rhumb Line bearing of $B$ from $A$ is $084^{\circ} R L$
If both positions are in the Southern Hemisphere the Great Circle bearing of $B$ from $A$ is :-


Bearing of $A$ from $B$ Conversion Angle

$$
\begin{gathered}
255^{\circ} \mathrm{GC} \\
9^{\circ}
\end{gathered}
$$

$$
\text { Bearing of } A \text { from } B
$$

Bearing of B from A Conversion Angle
Bearing of B from A
$084^{\circ} \mathrm{RL}$
$9^{\circ}$
$093^{\circ} \mathrm{GC}$

Q4 The Great Circle bearing of X from Y is $072^{\circ}$ GC The Rhumb Line bearing of Y from X is $259^{\circ} \mathrm{RL}$


Bearing of $Y$ from $X$
Bearing of $X$ from $Y$
Conversion Angle
Bearing of $X$ from $Y$
$259^{\circ} \mathrm{RL}$
$079^{\circ} \mathrm{RL}$
$7^{\circ}$
$072^{\circ} \mathrm{GC}$

Bearing of Y from X
Conversion Angle Bearing of Y from X
$259^{\circ} \mathrm{RL}$ $7^{\circ}$ $266^{\circ} \mathrm{GC}$

## the calculation of rhumb line tracks and distances

Departure must be used when determining rhumb line tracks and distances.
Calculate the rhumb line track and distance between $A\left(00^{\circ} \mathrm{N}\right.$ and $\left.010^{\circ} \mathrm{W}\right)$ and $B\left(^{\circ}\right.$ N 010 ${ }^{\circ} \mathrm{E}$ ).


In order to express the dLAT in nm's :
dLAT $=30^{\circ}$
$=1800^{\prime}$
$=1800 \mathrm{~nm}$ (No Departure)
In order to express the dLONG in nm's,

$$
\begin{array}{rlrl}
\text { DEP }(\mathrm{nm}) & = & d L^{\prime} \times \operatorname{COS} \text { MID LAT } \\
& = & 1200^{\prime} \times \operatorname{COS} 15^{\circ} \\
& =1159 \mathrm{~nm}
\end{array}
$$



To determine angle $A$ :
$\operatorname{TAN~} \varnothing=\frac{1159 \mathrm{~nm}}{1800 \mathrm{~nm}}$
$\operatorname{TAN~} \varnothing \quad=\quad 0.6438$
$\varnothing \quad=\quad 32.8_{-}^{\circ}$ (rhumb line track $\left.A-B\right)$

To determine distance x , use Pythagoras:

| $x^{2}$ | $=1800^{2}+1159^{2}$ |
| :--- | :--- |
| $x^{2}$ | $=4583281 \mathrm{~nm}$ |
| $x$ | $=\sqrt{4583281 \mathrm{~nm}}$ |
| $x$ | $=2141 \mathrm{~nm}$ (rhumb line distance $A-B$ ) |

The Great Circle Track from A (S 32:25 E 019:45) to B is $102^{\circ}$ If B is on the same parallel of Latitude the Longitude of B is :-


If $C A$ is $12^{\circ}$, then Convergency is $24^{\circ}$
Convergency $=\mathrm{Ch}$. Long $\mathrm{x} \sin$ Latitude
$24^{\circ}=$ Ch. Long $x \sin 32^{\circ} 25^{\circ}$
$24^{\circ}$

$\sin 32.4167^{\circ}$

It is important to note that this method of determining rhumb line tracks and distances is very limited in terms of its accuracy

## DISTANCE

## KILOMETRE (KM.)

A Kilometre is $1 / 10000$ th. part of the average distance from the Equator to either Pole It generally accepted to equal 3280 feet.

## STATUTE MILE (SM)

Defined in British law as 5280 feet

## NAUTICAL MILE (NM)

A Nautical Mile is defined as the distance on the surface of the earth of one minute of arc at the centre of the earth. As the earth is not a perfect sphere the distance is variable.

At the Equator 1 NM is 6046.4 feet At the pole 1 NM -is 6078 feet
For navigation purposes the Standard Nautical Mile is 6080 feet (South Africa and UK)
ICAO 1 NM = 1852 metres or 6076.1 feet

Most navigational electronic calculators use $1 \mathrm{NM}=6076.1$ feet. To answer questions in the CAA examinations any of the following may be used :-

1 NM $=6080$ feet or 1853 metres $1 \mathrm{NM}=6076.1$ feet: or 1852 metres
Conversion Factors $\quad 1$ Foot $=12$ inches 1 Inch = 2.54 Centimetres

As one minute of arc is 1 NM , then Great Circle distance along a Meridian can be calculated. One minute of Latitude is 1 NM and 1Degree of Latitude is 60 NM.

The Great Circle distance from N75:30 E065:45 to N82:15 W114:15 is:-
As W114:15 is the anti-meridian of E065:45 the Great Circle distance is along a Meridian over the Pole where $1^{\circ}$ of Latitude equals 1 nm .
$\mathrm{N} 75: 30$ to the Pole $=14^{\circ} 30^{\prime}$ change of Latitude $\left(14^{\circ}=x 60=840 \mathrm{~nm}-30 \mathrm{~nm}\right)=870 \mathrm{~nm}$ Pole to $\mathrm{N} 82: 15=7^{\circ} 45^{\prime}$ change of Latitude $\left(7^{\circ} \times 60=420 \mathrm{~nm}+45 \mathrm{~nm}\right)=465 \mathrm{~nm}+870 \mathrm{~nm}=$ 1335nm

## CHANGE OF LONGITUDE (CH. LONG) or DEPARTURE DISTANCE

Departure is the distance in Nautical Miles along a parallel of Latitude in an East-West direction.
At the Equator, two meridians ( 5 W and 5 E ) have a change of Longitude of 10 of arc. As the Equator is a Great Circle, 10 of arc equals 600 nautical miles. As Latitude increases, either to the North or to the South, the meridians converge, and the distance between them decreases, until they meet at the Poles where the distance between them is zero.
Departure ( nm ) $=\mathrm{ch}$ long (mins) x cos mean lat:
The departure between any 2 points is thus a function of their latitudes and the change of longitude, and the relationship is given by

$$
\text { Where mean lat }=\frac{\text { lat } A+\text { lat } B}{2}
$$

| E 032:45 | W 067:25 | Both East or West SUBTRACT |
| :--- | :--- | :--- |
| E 021:15 | E 027:30 | One East \& One West |
| ADD |  |  |



## DEPARTURE $=$ CHANGE of LONGITUDE (in minutes) $x$ COSINE LATITUDE

Q1 The distance from $A(N 20: 10 \mathrm{E} 005: 00)$ to $B(\mathrm{~N} 20: 10 \backslash \mathrm{~V} 005: 00)$ is :-

Departure $=\quad$ Ch. Long $x \cos$ Lat
$=\quad 10^{\circ} \times 60 \times \cos 20^{\circ} 10^{\prime}$
$=\quad 600 \times \cos 20.1667^{\circ}$
$=\quad 563.2163 \mathrm{~nm}$

Q2 An aircraft leaves $A(E$ 012:30) and flies along the parallel of $S$ 29:30 in an Easterly direction. After flying 1050 nm its Longitude is :-

```
Departure = Ch.Long x cos Lat
1050nm = Ch.Long xcos29`30'
1050 nm
    = 1206.4 minutes of Longitude
    cos 29.5
    60
    = 20006'24" Easterly
    +12
            032`}3\mp@subsup{\mp@code{'' 24" E}}{}{\prime
```

Q3 An aircraft in the Northern Hemisphere flies around the world in an Easterly direction at an average groundspeed of 515 Kts in 14 hours. The Latitude at which the aircraft flew was :-

Departure $\quad=\quad$ Ch. Long cos Latitude
GS $515 \times 14 \mathrm{Hrs}=360^{\circ} \times 60 \times \cos$ Lat
7210
21600

## distance along a parallel of latitude is departure DISTANCE ALONG A MERIDIAN IS CHANGE OF LATITUDE

As a Meridian is a Great Circle, then the arc of Change of Latitude can be converted into nautical miles.

Q4 The shortest distance from $A(N$ 78:15 W 027:13) in B (SS3:30 E 15.2:4-) is :-
As E 152:47 is the anti-meridian of $W$ 027:13, A to B is the arc of a Great Circle.
N 78:15 to the North Pole $=\quad$ 11:45 Change of Latitude
North Pole to N 82:30 $=\quad$ 7:30 Change of Latitude
19:15 Change of Latitude
$19^{\circ} \times 60=1140 \mathrm{~nm}+15$ minutes $=1155 \mathrm{~nm}$ shortest (GC) distance $A$ to $B$
Q5 An aircraft departs A (N 25:13 W017:25) and flies a track of $090^{\circ}(\mathrm{T})$ at GS 360 for I hour 35 minutes. Then the aircraft flies a track of $180^{\circ}(\mathrm{T})$ for I hour 55 minutes and arrives at position;

N 25:13 W 017:25;

$$
\text { Departure }=\text { Ch. Long } \times \cos \text { Latitude }
$$

Track $180^{\circ}$
Change of Latitude

Departure $=$ Ch. Long x cos Latitude
Departure
$=$ Ch. Long
cos Lat
GS360 $\times 1: 35$
$=630$ minutes of Longitude $=10^{\circ} 30$-East of $\mathrm{W} 017: 25=\mathrm{W} 006: 55$
$\cos 25: 13$
Track $180^{\circ} \quad=\quad$ Change of Latitude $\quad$ Old Latitude N 25:13
11:30
GS360 $\times 1: 55=690 \mathrm{~nm}=11^{\circ} 30$ Southern-Change of Latitude $=$ position N 13:43 W 006:55

## RADIO BEARINGS

## VHF D/F VERY HIGH FREQUENCY - DIRECTION FINDING VDF

Major airports in South Africa have a VDF service, it is usually on the Approach frequency and will provide radio bearings to aircraft on request. The aircraft transmits on the appropriate frequency and direction finding equipment at the airport will sense the direction of the incoming radio wave. The bearing will be passed to the aircraft in Q-code form.

Q CODE
QTE
QDR
QUJ
QDM
TRUE bearing FROM the VDF station
MAGNETIC bearing FROM the VDF station
TRUE track TO the VDF station
MAGNETIC track TO the VDF station

| QDM | $\pm$ Variation $=$ QUJ |
| :--- | ---: |
| $\pm 180^{\circ}$ | $\pm 180^{\circ}$ |
| QDR | $\pm$ Variation $=$ QTE |

Take the shortest route to change one bearing to another

$\begin{array}{lll}\text { VOR } & \text { VOR Radials are Magnetic bearings } & \text { QDR } \\ & \text { RMI Readings are Magnetic tracks to the VOR } & \text { QDM }\end{array}$

## RMI BEARINGS (VOR \& ADF)

Usually termed RMI READING which is QDM (for ADF RMI $\pm D E V=$ QDM)

## ADF BEARINGS

ADF Relative bearings are measured from the Fore and Aft axis of the aircraft.
ADF Relative bearings must be converted into True Bearings (QTE) before they can be plotted on a chart.

RELATIVE BEARING + TRUE HEADING $=$ QUJ $\pm 180^{\circ}=$ QTE
MAGNETIC VARIATION AT THE AIRCRAFT IS ALWAYS USED WITH ADF BEARINGS

| ADF bearing | $095^{\circ}$ Relative |
| :--- | :--- |
| Heading $(T)$ | $+\frac{057^{\circ}}{152^{\circ}}(\mathrm{T})$ TO NDB |
| QUJ | $\pm \frac{180^{\circ}}{332^{\circ}}(\mathrm{T})$ FROM NDB |


| ADF bearing | $200^{\circ}$ Relative |
| :--- | :--- |
| Heading (T) | $\frac{318^{\circ}}{518^{\circ}}$ |
| QUJ | $\frac{360^{\circ}}{158^{\circ}}(\mathrm{T})$ TO NDB |
| Subtract | $\pm \underline{380}{ }^{\circ}(\mathrm{T})$ FROM NDB |
| QUJ |  |
| QTE |  |

## QUESTIONS

1. The great circle bearing from $A$ to $B$ is $260^{\circ}$. Convergency $12^{\circ}$. Southern hemisphere.
i) What is the rhumb line bearing from $B$ to $A$ ?
ii) What is the great circle bearing from $B$ to $A$ ?
2. Positions $A$ and $B$ are in the same hemisphere. The great circle bearing from $A$ to $B$ is $140^{\circ}$. The great circle bearing from $B$ to $A$ is $330^{\circ}$.
i) In which hemisphere are $A$ and $B$ ?
ii) What is the rhumb line bearing from $B$ to $A$ ?
3. At what latitude on earth is the convergency twice the value of convergency at $25^{\circ} \mathrm{N}$ ?
4. Position $\mathrm{A}\left(40^{\circ} \mathrm{N} 170^{\circ} \mathrm{E}\right)$. Position B is on the same parallel of latitude. The great circle bearing from $A$ to $B$ is $082^{\circ}$.

What is the longitude of position B ?
5. What is the rhumb line distance from $\mathrm{A}\left(30^{\circ} \mathrm{N} 070^{\circ} \mathrm{E}\right)$ to $\mathrm{B}\left(30^{\circ} \mathrm{N} 085^{\circ} \mathrm{E}\right)$ ?
6. An aircraft flies around the world on a rhumb line track of $090^{\circ}$ at a ground speed of 480 Kts. The flying time if 19 hours.

At what latitude did the aircraft fly?
7. An aircraft ( $\mathrm{G} / \mathrm{S} 480 \mathrm{Kts}$ ) departs position $\mathrm{A}\left(20^{\circ} \mathrm{N} 010^{\circ} \mathrm{E}\right)$ on a track of $360^{\circ}$ for 3 HRS . It then turns onto a track of $270^{\circ}$ for 2 HRS 30 . It then turns onto a track of $180^{\circ}$ for 4 hours.

What is the position of the aircraft at the end of the 3rd leg?
8. What is the shortest distance between $\mathrm{A}\left(065^{\circ} \mathrm{N} 13^{\circ} 30^{\prime} \mathrm{W}\right)$ and $\mathrm{B}\left(78^{\circ} \mathrm{N} 166^{\circ} 30^{\prime} \mathrm{E}\right)$ ?

